

CORTEx

Core monitoring techniques and
experimental validation and demonstration

Machine learning architectures versus diagnostic tasks

Workshop on the demonstration of the methods for reactor noise analysis against plant data (Final event)

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Main Objective

- Detect **anomalies** in nuclear reactors using **non-intrusive** methodologies
- Anomalies
 - Excessive vibrations of core internals
 - Flow blockage
 - Coolant inlet perturbations
 - Combination of the above
 - ...
- Non-intrusiveness
 - Measure the inherent fluctuations in neutron flux recorded by in-core and ex-core detectors
 - No external perturbation of the system is required

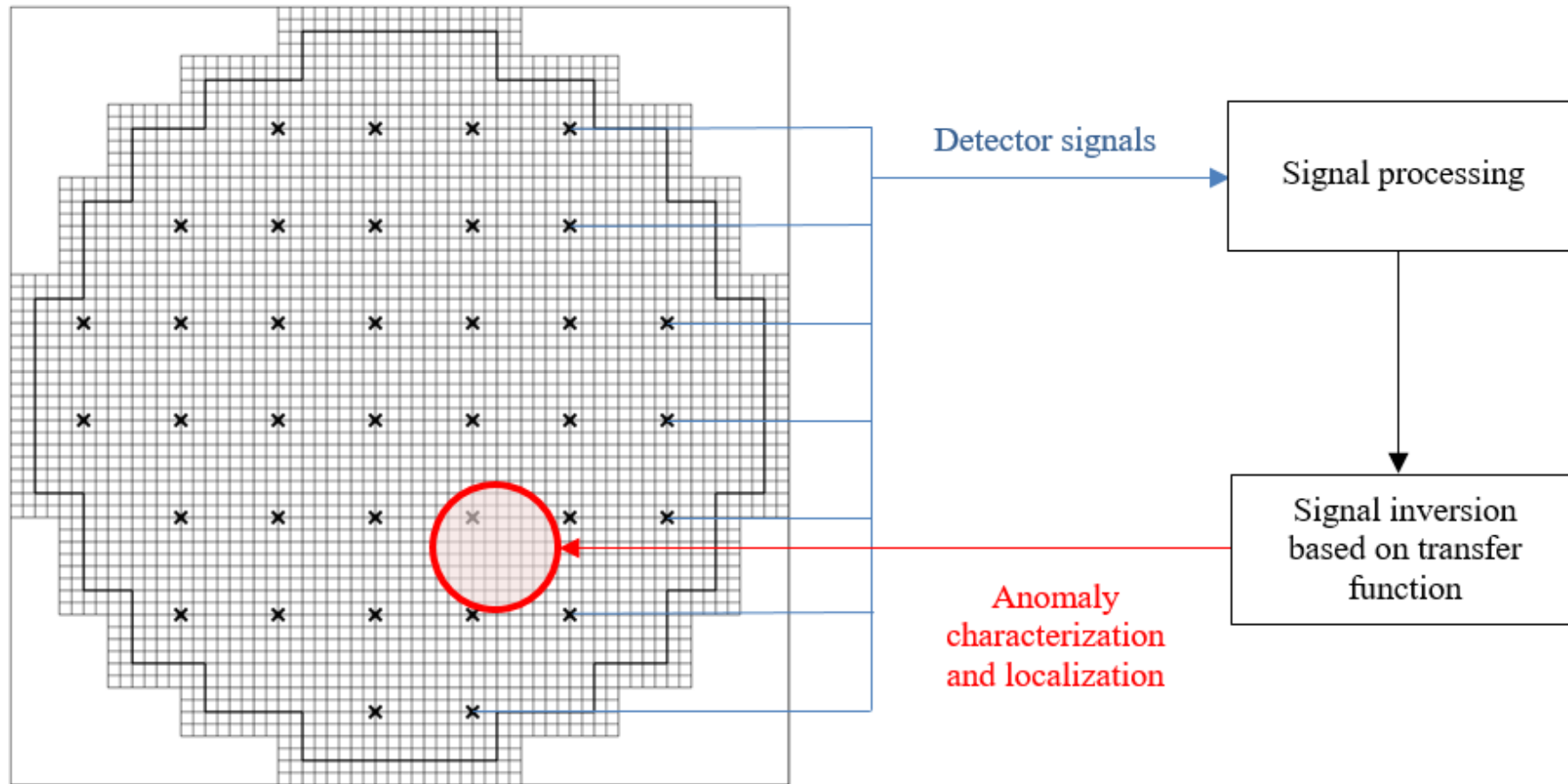


Induced neutron noise

- Identify the driving perturbation(s) measured at the detectors
 - Amplitude and Phase
- Extract the characteristic features
 - Frequency of the perturbation
 - "Relationships" between the induced neutron noise at different locations
 - Spatial variation of the amplitude of the noise
 - Spatial variation of the phase



Overview of the procedure



Signal types

- Real
 - measured at the detectors
 - characteristics
 - may be due to more than one perturbation which are **usually unknown**
 - noise, trend and intermittencies
 - (possible) detector failure
- Simulated
 - model the fluctuations in neutron flux resulting from known perturbations applied to the system through the estimation of the reactor transfer function
 - characteristics
 - can model a single, known perturbation
 - can model noise, trend and intermittencies
 - **no detector failures** (unless modelled!)



Workflow

1. Data preprocessing
 - Remove noise, trend and intermittencies
 - Account for possible detector failure
2. Feature Extraction
 - Transformation Methods
 - Discrete Fourier Transform (DFT)
 - Discrete Wavelet Transform (DWT)
 - Non-parametric inversion methods
 - Artificial Neural Networks (ANNs)
 - ...
3. Feature Selection
4. Machine Learning Techniques



Trend detection & removal



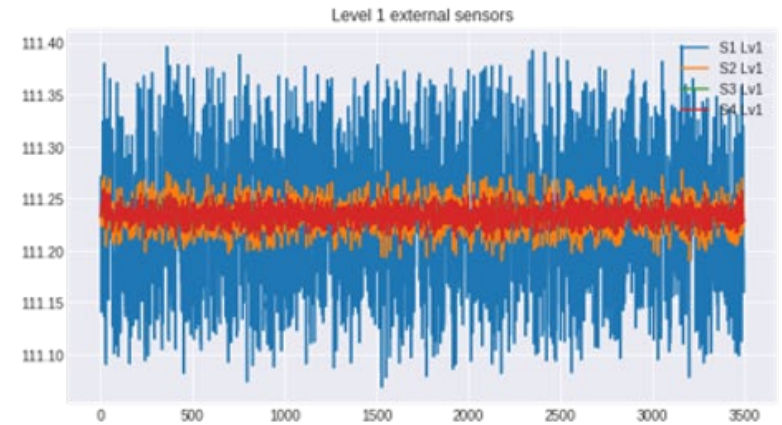
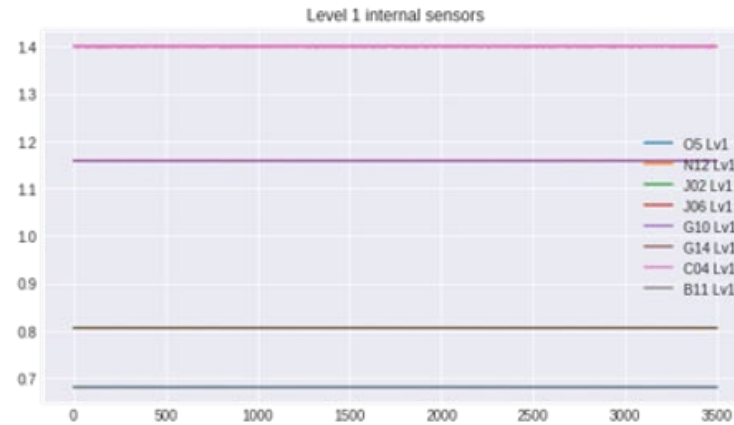
Removing trend

- Signals containing trend are characterized as *non-stationary*
- **Detrending**
 - The process of removing trend from a signal
 - Simplifies signal analysis
 - Trend has to be modeled in order to be removed
- **Trend modelling**
 - Deterministic (linear) trend is easier to be modelled
 - e.g. through least-square regression
 - Stochastic trend require more thorough analysis
 - e.g. moving average trend lines can be detrended with the Baxter-King filter
 - e.g. cyclical components can be removed with the Hodrick-Prescott filter
 - ...

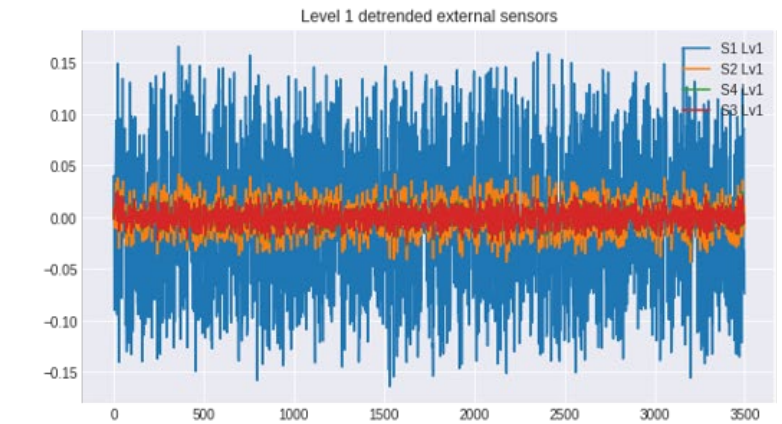
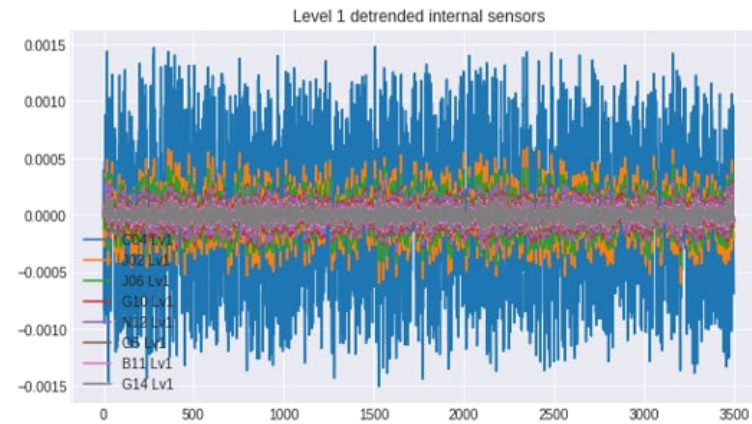


Detrending

Before



After



Feature Extraction

Using transformation methods



The Discrete Wavelet Transform

- Suitable for analyzing signals with time-varying spectra
 - DFT gives the spectral details of the signal without considering temporal properties
- Produces varying time and frequency resolutions
 - DFT produces frequency spectrograms
 - DWT scalograms depict transients
- High frequencies
 - Good time resolution, poor frequency resolution
- Low frequencies
 - Poor time resolution, good frequency resolution
- Need to decide on the mother wavelet function used
 - Different wavelets produce different coefficients/scalograms
 - DFT uses only sinusoidal functions



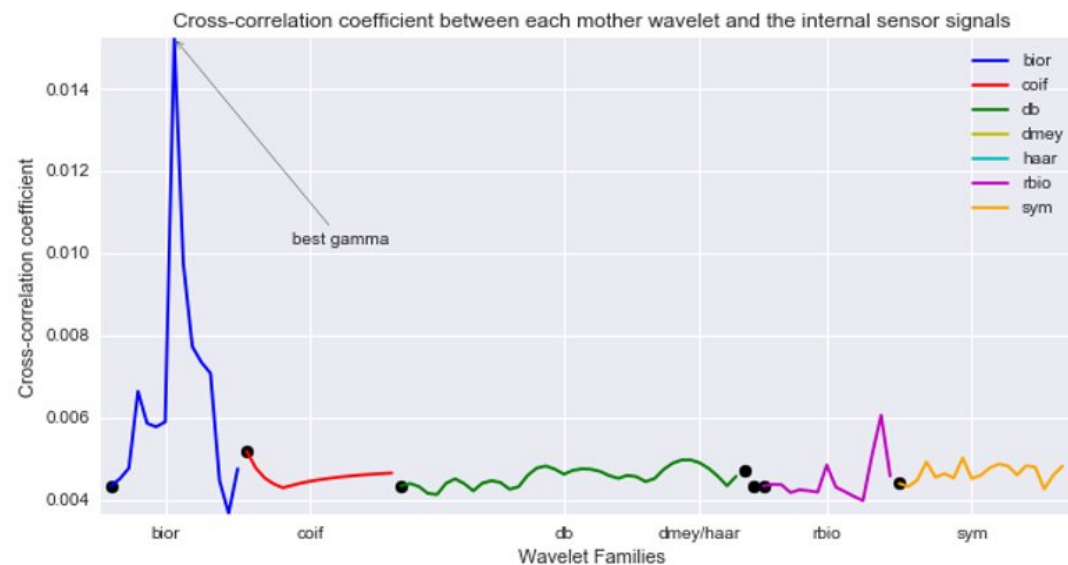
Choice of the mother wavelet

- Mother wavelet families
 - Haar, Daubechey , Symlet , Coiflet , Biorthogonal , Reverse Biorthogonal , Discrete Mayer, ...
- Criterion
 - How "close" is the reconstructed signal to the original?
- Measures of similarity
 - Cross-correlation (statistical)
 - $\gamma(X, Y) = \frac{\Sigma(X - \bar{X})(Y - \bar{Y})}{\sqrt{(X - \bar{X})^2 (Y - \bar{Y})^2}}$
 - Energy to entropy (information-theoretical)
 - $\zeta(n) = \frac{\sqrt{\Sigma_i s_i^2}}{\Sigma_i s_i^2 \log s_i^2}$

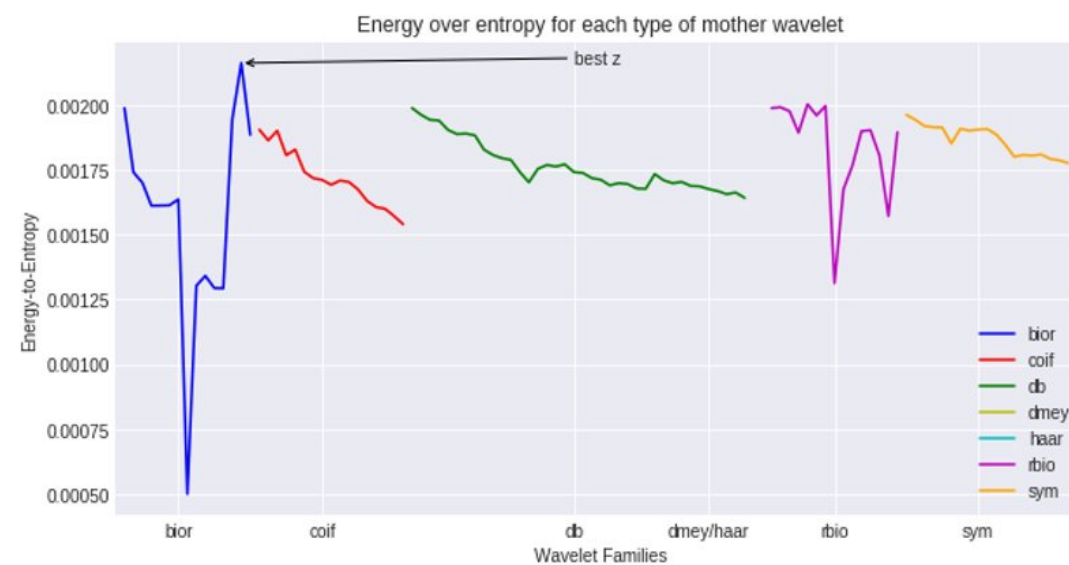


Cross-correlation vs Energy-to-Entropy

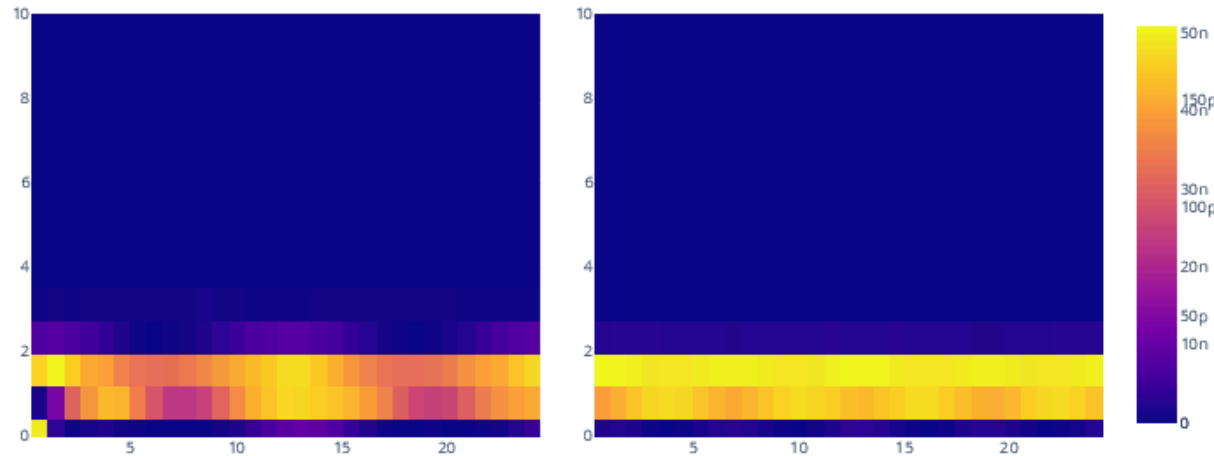
Best wavelet: **Biorthogonal (3.1)**



Best wavelet: **Biorthogonal (5.5)**



Scalograms

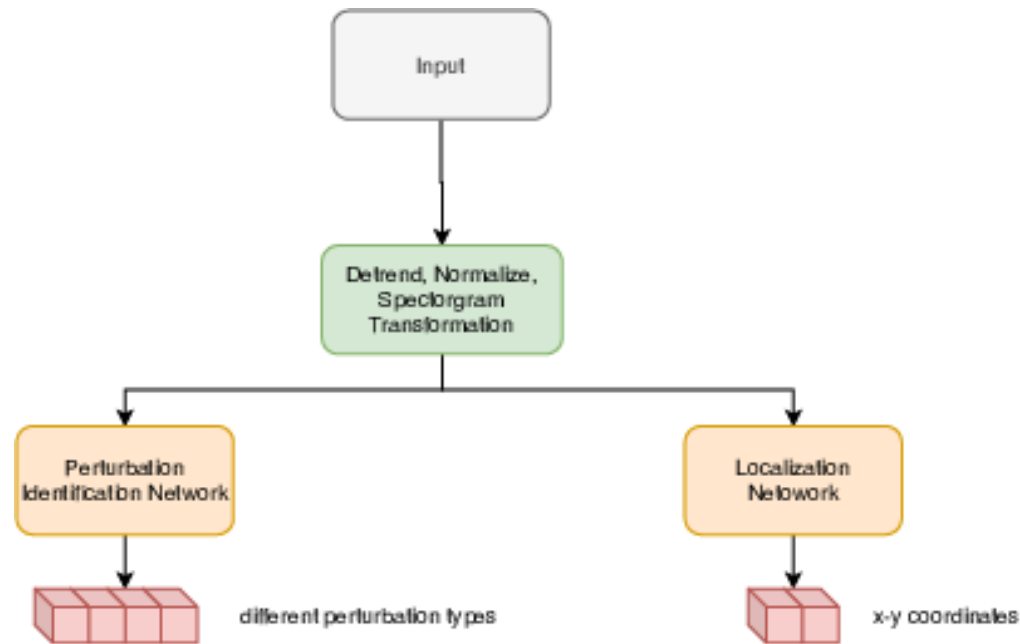


- Detector signals represented as **scalograms**
 - the “spectrogram” of DWT
- x-axis: *time*
- y-axis: *frequency*
- color: *intensity*
- Treated as images by the Deep Learning (DL) techniques discussed next

Anomaly Detection

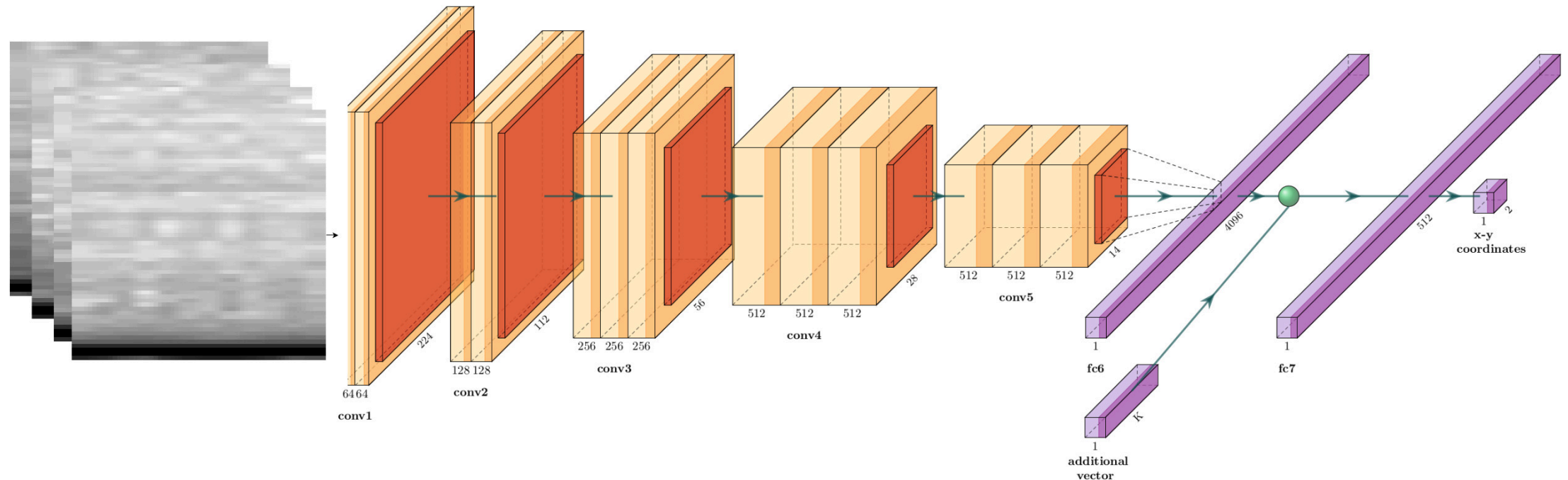


System Architecture



- Two DL Convolutional Neural Networks (CNNs)
 1. Perturbation Identification Network
 - Output a binary vector of the detected perturbation(s)
 2. Localization Network
 - For certain type of perturbations locate them in the reactor core
 - eg single fuel assembly vibration

Identification & Localization Networks: ResNet

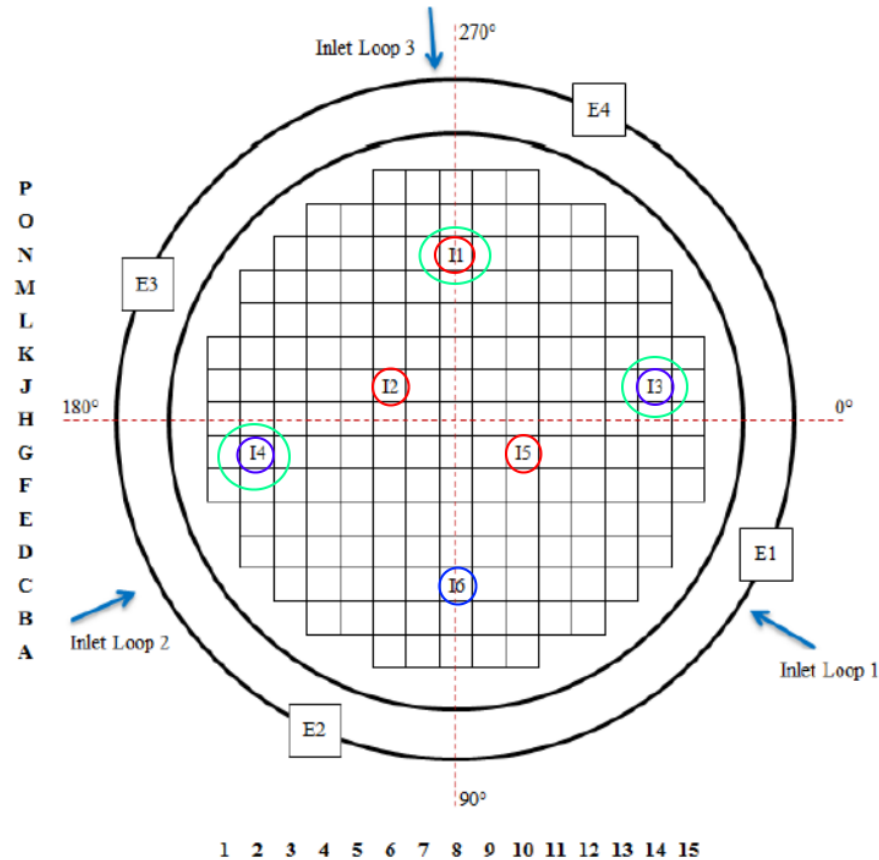


Experimental Implementation

- Swiss pre-KONVOI pressurized water reactor (PWR)
 - 3-loop reactor, 177 FAs
- Simulated data only
 - Provided by the Paul Sherrer Institute (PSI)
 - CASMO-5/SIMULATE-3 code system, coupled with SIMULATE-3K transient nodal code
 - Four perturbation types
 - Individual FA vibrations, inlet coolant, inlet flow & their combinations
 - Three modes of vibration (for the FA case)
 - Cantilevered, C-shaped, S-shaped
 - Three core conditions
 - Beginning, middle & end of cycle



Swiss pre-KONVOI PWR core cross-section



Procedure

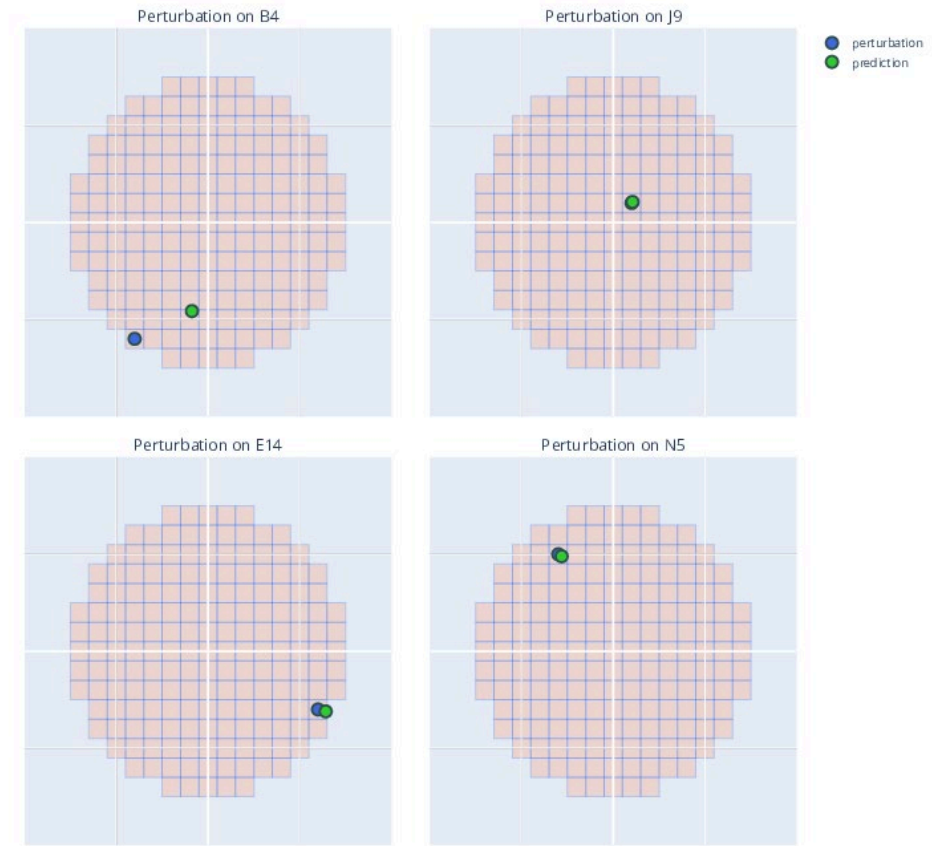
- Preprocessing
 - Detrend signals, compute DWT, construct scalograms
 - Covert scalograms to I-channel grayscale images
 - Construct a 44-channel image from all detectors
- Results of the identification network on the test data

Perturbation	Precision	Recall	F1-score
FA	0.97	0.96	0.96
Inlet temperature	0.95	0.93	0.94
Inlet coolant	0.94	0.91	0.92
Combinations	0.92	1	0.96

Results of the localization network

- **Accuracy on test data**

Prediction proximity	Proportion
Exact	0.73
± 1 difference	0.21
± 2 difference	0.05
more than ± 2 difference	0.01



Robustness analysis

- Adapt to cases of faulty detectors signals
 - Consider only a subset of incore/excore detectors function normally
 - 6 different combinations
- Accuracy on the test data

Prediction Proximity	I_1, I_2, I_5	I_1, I_2, I_5^+ ex-core	I_3, I_4, I_6	I_3, I_4, I_6^+ ex-core	I_1, I_3, I_4	I_1, I_3, I_4^+ ex-core
exact	0.52	0.58	0.48	0.65	0.43	0.66
± 1 diff.	0.31	0.32	0.32	0.26	0.34	0.22
± 2 diff.	0.11	0.07	0.13	0.07	0.15	0.09
$> \pm 2$ diff.	0.06	0.03	0.07	0.02	0.08	0.03

Align simulated perturbations with plant measurements



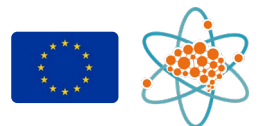
Intuition

- Power plant measurements are usually *unlabeled* data
 - It is not known whether (& which) perturbations occur within the core
- Use modelling tools to simulate the induced noise produced by various “known” perturbations
- Compare the simulated signals with the plant measurements in order to locate similarities & dissimilarities
- These comparisons may form the basis for more advanced machine-learning based techniques
 - eg clustering

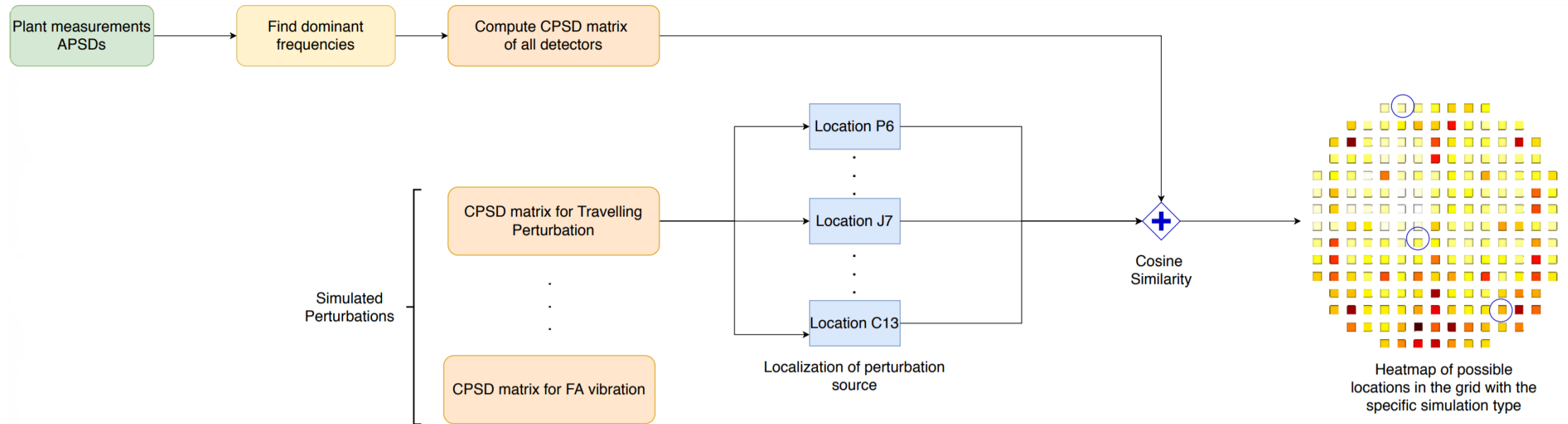


Procedure

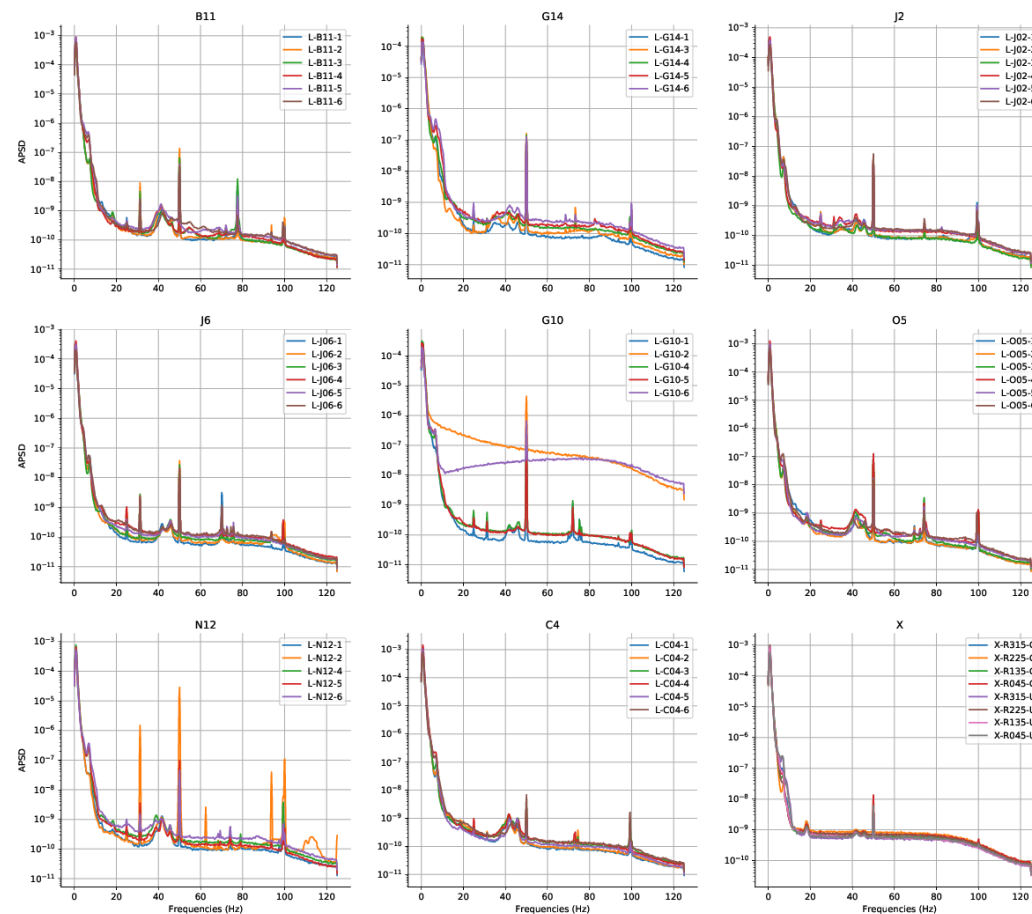
- Preprocessing
 - Detrend plant measurements & simulated signals
 - Compute the DFT of the above
 - Compute the Auto Power Spectral Density (APSD) of the plant measurements
- Identify frequency peaks of APSDs
 - Welch algorithm
 - Candidate frequencies for the existence possible perturbations
- Compute the Cross Power Spectral Density (CPSD) between
 - all n detectors of the plant measurements, creating an $n \times n$ matrix
 - the corresponding simulated data for the frequency peaks identified above (again creating $n \times n$ matrices)
- Compare the CPSDs between real measurements & simulated data



System architecture



Example APSDs

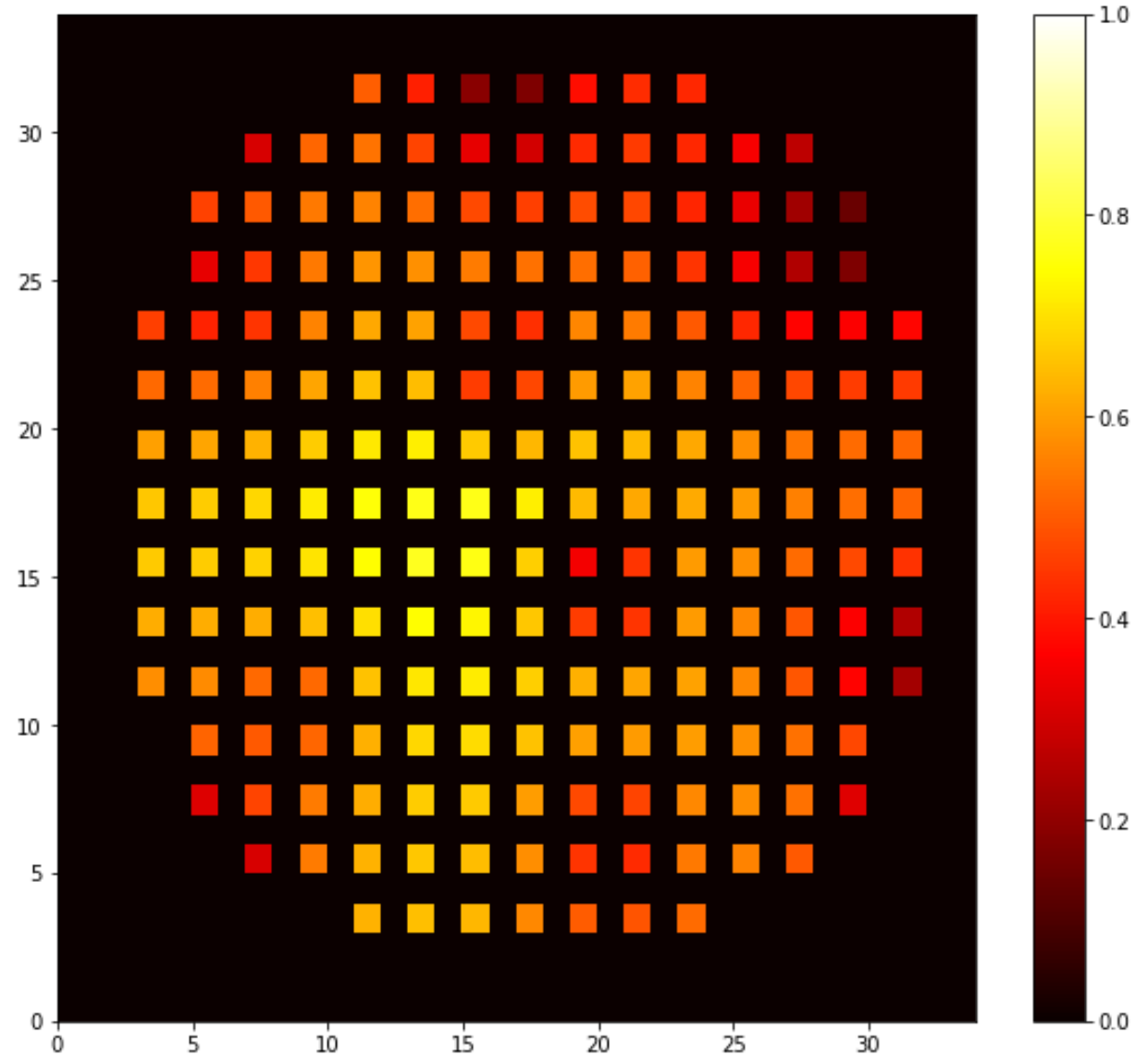


Experimental Implementation

- German pre-KONVOI PWR
 - 4-loop reactor
- Actual plant measurements
- Simulated data
 - Provided by Chalmers University
 - CORE SIM+ tool
 - Four perturbation types
 - Individual FA vibrations
 - Modes: cantilevered, simply supported, cantilevered & simply supported
 - Coolant flow vibrations
 - Core barrel vibrations
 - Modes: beam, pendular
 - Generic (absorber of variable length)

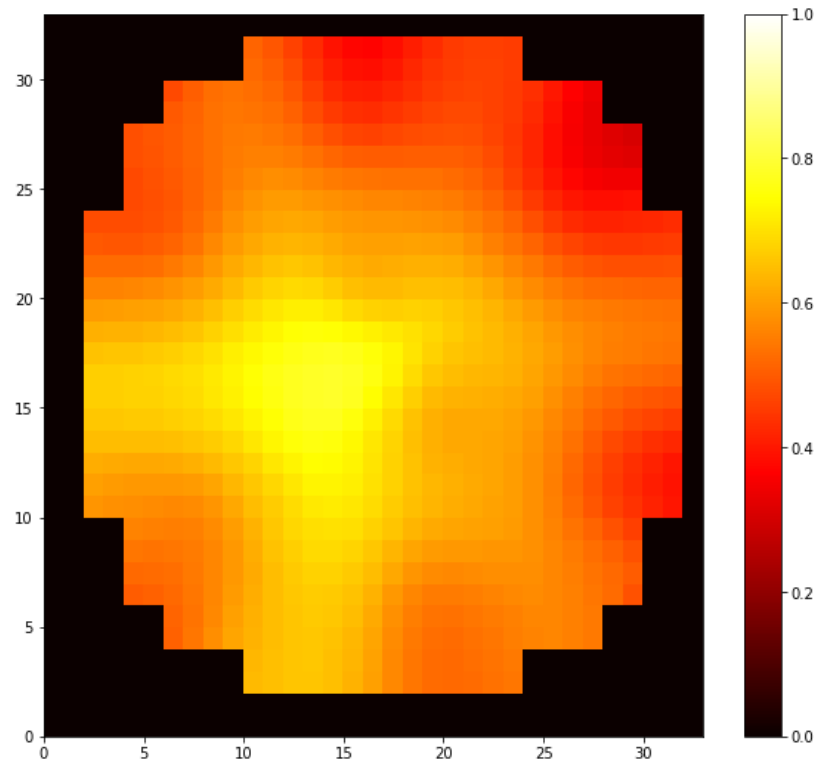


Similarity Heatmap for axially traveling perturbation at the velocity of the coolant flow (0.3 Hz)

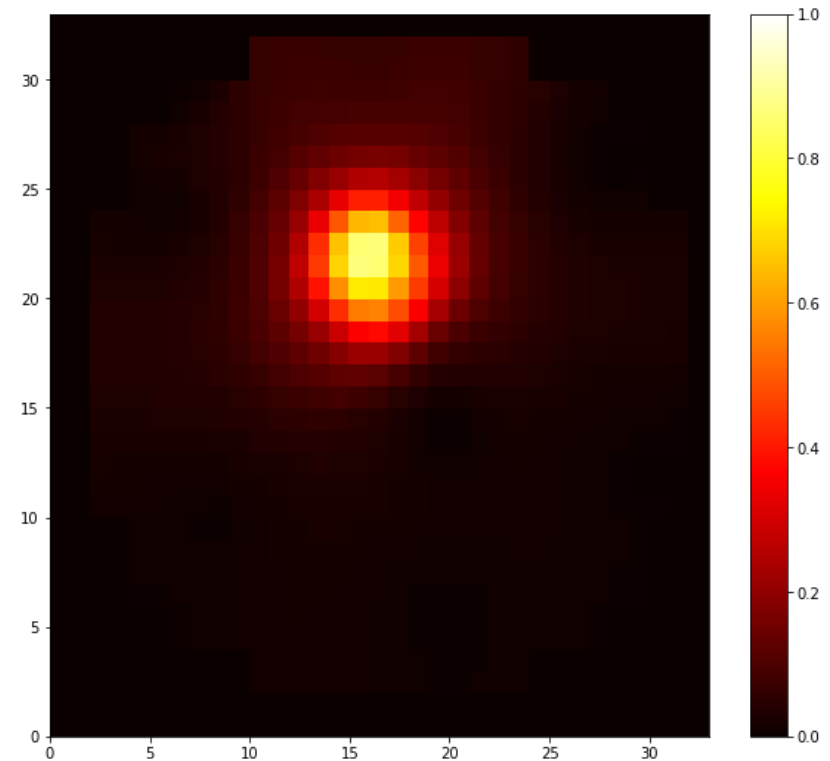


Similarity heatmaps for the Absorber of Variable Length case

0.3 Hz – Axial level 18



15Hz – Axial level 9



Thank you

